Ambulance

The IOI Kingdom is represented as a square grid of L rows and L columns. The rows are numbered $1, 2, \ldots, L$ from top to bottom and the columns are numbered $1, 2, \ldots, L$ from left to right. A cell at row i ($1 \leq i \leq L$) and column j ($1 \leq j \leq L$) is denoted as cell (i, j).

Recently, due to a widespread infection in the IOI Kingdom, the demand for improved medical facilities has increased. In response, the king, Bitaro, has decided to build hospitals in the four corners of the grid, which are cell $(1, 1)$, cell $(1, L)$, cell $(L, 1)$, and cell (L, L). Each hospital is equipped with one ambulance.

The cautious Bitaro decided to run a simulation to prepare for actual emergency calls from patients. In the scenario he envisioned, emergency calls from N patients arrive at time 0, and he wants to determine whether all patients can be transported to one of the hospitals by time T. The k-th patient ($1 \leq k \leq N$) is located at cell (X_k, Y_k).

The ambulances transport patients according to the following rules:

- Each ambulance can start moving at time 0 or later. It repeats the following (possibly 0 times): depart from its hospital, move to the patient's location, pick up the patient, and then return to the hospital to drop off the patient.
- Each ambulance can carry at most 1 patient at a time.
- Each ambulance can only transport patients to the hospital where it was initially stationed. Patients cannot be dropped off at any location other than a hospital.
- Each ambulance moves to an adjacent cell (up, down, left, or right) in 1 unit of time. The time taken to pick up and drop off a patient can be ignored.
- Ambulances from different hospitals may occupy the same cell at the same time.

Unfortunately, Bitaro was unable to determine the outcome of his envisioned scenario, so he has asked you to investigate it on his behalf.

Given the size of the IOI Kingdom and the scenario envisioned by Bitaro, write a program to determine whether all patients can be transported to a hospital by time T.

Input

The input is given from Standard Input in the following format:

L N T
X_1 Y_1
X_2 Y_2
$\vdots$
X_N Y_N

Output

Print `Yes` if all patients can be transported to a hospital by time T in the scenario envisioned by Bitaro. Otherwise, print `No`. The output should consist of a single line.

Constraints

- $3 \leq L \leq 10\,000$.
- $1 \leq N \leq 160$.
- $1 \leq T \leq 20\,000$.
- $1 \leq X_k \leq L$ $(1 \leq k \leq N)$
- $1 \leq Y_k \leq L$ $(1 \leq k \leq N)$
- (X_k, Y_k) is not equal to any of $(1, 1)$, $(1, L)$, $(L, 1)$, or (L, L). $(1 \leq k \leq N)$
- All input values are integers.

Subtasks

1. (4 points) $T \leq 50$.
2. (8 points) $T \leq 160$.
3. (5 points) $N \leq 10$.
4. (18 points) $N \leq 20$.
5. (15 points) $N \leq 45$. L is a odd number, and $Y_k = \frac{L+1}{2}$ $(1 \leq k \leq N)$.
6. (31 points) $N \leq 45$.
7. (19 points) No additional constraints.

Sample Input and Output

Sample Input 1	Sample Output 1
6 4 8 1 3 2 2 3 4 5 5	Yes

By transporting the 1st and 2nd patients to the hospital at $(1, 1)$, the 3rd patient to the hospital at $(1, 6)$, and the 4th patient to the hospital at $(6, 6)$, all patients can be transported to a hospital by time 8, so the output is `Yes`.

For example, if the ambulance stationed at the hospital in $(1, 1)$ moves in the following order, it can transport both the 1st and 2nd patients to the hospital by time 8.

Time	Ambulance Status
0	Departs from cell $(1, 1)$
1	Arrives at cell $(2, 1)$
2	Arrives at cell $(2, 2)$, picks up the 2nd patient, and departs
3	Arrives at cell $(1, 2)$
4	Arrives at cell $(1, 1)$, drops off the 2nd patient, and departs
5	Arrives at cell $(1, 2)$
6	Arrives at cell $(1, 3)$, picks up the 1st patient, and departs
7	Arrives at cell $(1, 2)$
8	Arrives at cell $(1, 1)$, drops off the 1st patient

This sample input satisfies the constraints of subtasks $1, 2, 3, 4, 6$ and 7.

Sample Input 2	Sample Output 2
9 5 19 5 5 5 5 7 5 2 5 9 5	No

Since it is not possible to transport all patients to a hospital by time 19, the output is `No`.

This sample input satisfies the constraints of all subtasks.

Sample Input 3	Sample Output 3
7 7 16 6 1 2 4 4 5 5 5 3 4 6 4 5 1	Yes

This sample input satisfies the constraints of subtasks $1, 2, 3, 4, 6$ and 7.

Sample Input 4	Sample Output 4
200 15 800 126 45 196 40 43 58 96 13 28 33 44 55 60 22 58 156 135 183 44 29 92 182 157 138 30 132 175 87 166 57	No

This sample input satisfies the constraints of subtasks $4, 6$ and 7.